$\varphi$  on S satisfying the following conditions. 1) The set  $\{\varphi(xy) - \varphi(x) - \varphi(y); x, y \in S\}$  is bounded. 2) For  $x \in S$  and  $n \in \mathbb{N}$  (and  $n \in \mathbb{Z}$  if S is a group),

ABSTRACT. A pseudocharacter of a semigroup S is a real function

$$\varphi(x^n) = n\varphi(x).$$
 A description of the space of pseudocharacters on some extension

sions of free groups is given.

A description of the space of pseudocharacters on some exten-