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com(le(Lie grou((

Having in mind a classification of all compact complex homogeneous spaces as a goal, we hope to use the Corollary in our future research.

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