
Zbl 100.27201**Erdős, Pál***Remarks on two problems.* (In Hungarian. RU, English summary)**Mat. Lapok 11, 26-32 (1960). [0025-519X]**

Using the elementary estimate $\pi(x) > cx/\log x$ first the existence of an absolute constant C is proved such that for every sufficiently large n there is an $m < n$ with the property that $d(m) > \prod d(m+i)d(m-1)(1 \leq i < C \log n/\log \log n)^2$. The author remarks that there is a sufficiently large constant C such that $d(n) < \prod d(n+i)$ ($1 \leq i < C \log n/\log \log n \log \log \log n$). Given a sufficiently large n let $k = c(\log n)^{1/2} \log \log n$ where c is a suitable absolute constant and let i_1, \dots, i_k be any permutation of $1, \dots, k$. Then there is an m , not exceeding n such that $d(m+i_1) < \dots < d(m+i_k)$. Finally let $f(n)$ be the largest natural number such that $V(n) < \dots < V(n+f(n))$. By utilizing the prime number theorem it is proved that $\limsup f(n) \log \log n/\log n^{\frac{1}{2}}$.

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Classification:

11N64 Characterization of arithmetic functions